

## Mavzy. Vektorlarning berilgan bazisga ko'ra koordinatalari va ularning xossalari. Vektor fazo ta'rifi.

### Darsda yechiladigan misollar

**Masala:** ABCD tetraedrning qirralaridan iborat  $\overrightarrow{AB}$ ,  $\overrightarrow{AC}$ ,  $\overrightarrow{AD}$  larni bazis vektorlar deb olib,  $\overrightarrow{BC}$  ning shu vektorga nisbatan koordinatalarini toping.

**Yechish**  $\overrightarrow{AB} = e_1$ ,  $\overrightarrow{AC} = e_2$  va  $\overrightarrow{AD} = e_3$  belgilaymiz.

$$\overrightarrow{BC} = -\overrightarrow{AB} + \overrightarrow{AC} = \vec{e}_2 - \vec{e}_1 = -\vec{e}_1 + \vec{e}_2 = (-1)\vec{e}_1 + 1\cdot\vec{e}_2 + 0\cdot\vec{e}_3 \quad \overrightarrow{BC} (-1; 1; 0).$$

**Misollar.**  $\vec{a}(3, -2, 1)$ ,  $\vec{b}(-1, 0, -2)$  va  $\vec{c}(1, 2, 0)$  vektorlar berilgan.

$\vec{a} + \vec{b}$ ,  $\vec{b} - \vec{c}$ ,  $3\vec{a}$ ,  $\vec{a} + \frac{1}{2}\vec{b} - 3\vec{c}$  vektorlarning koordinatalarini aniqlang.

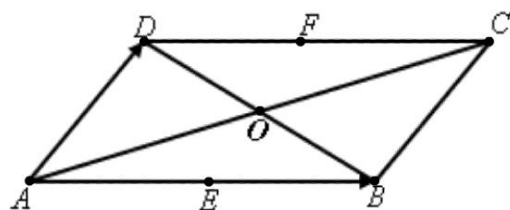
**Yechish**  $\vec{a} + \vec{b} = (3 + (-1)); (-2) + 0; (\vec{a} + \vec{b})(2; -2; -1);$   $\vec{b} - \vec{c}$  vektor koordinatalar  $(\vec{b} - \vec{c})(-2; -2; -2); 3\vec{a}(3; -2; 1) = \vec{a}(9; -6; 3);$

$$\vec{p} = (\vec{a} + \frac{1}{2}\vec{b} - 3\vec{c})(3 - \frac{1}{2} - 3; -2 + \frac{1}{2} \cdot 0 - 3 \cdot 2; 1 + \frac{1}{2}(-1) - 3 \cdot 0)$$

$$\text{bundan } \vec{p}(-\frac{1}{2}, -8, 0)$$

### Tekshirish uchun savollar va mashqlar.

1. Vektor fazo deb nimaga aytiladi?
2. Bazis vektorni ta'riflang.
3. Vektor koordinatalari deb nimaga aytiladi?
4. ABCD – parallelogramm berilgan E va F qarama-qarshi tomonlar BC va AD ning o'rta nuqtalari bo'lsin, O-diagonallarining kesishgan nuqtasi.



10-chizma

$\overrightarrow{AB} = e_1$ ,  $\overrightarrow{AD} = e_2$  bazis vektorlar bo'lsin deb, quyidagi vektorlarning koordinatalarini aniqlang: (10-chizma).

- 1)  $\overrightarrow{AC}$ ,  $\overrightarrow{BD}$  2)  $\overrightarrow{OD}$ ; 3)  $\overrightarrow{FC}$ ; 4)  $\overrightarrow{BC}$ ; 5)  $\overrightarrow{EO}$ ; 6)  $\overrightarrow{EA}$

5.  $\vec{a}_1(1, 1)$ ,  $\vec{a}_2(2, 1)$ ,  $\vec{a}_3(-3, 2)$  vektorlar berilgan.  $\vec{p} = 2\vec{a}_1 - 3\vec{a}_2 + \vec{a}_3$  vektorning koordinatalarini aniqlang.

Javob:  $\vec{p}(-7; 1)$

6. Tekislikdagi  $\vec{u}(2, 1)$  va  $\vec{v}(1, 0)$  vektorlar berilgan,  $\vec{p}(9, 1)$  vektor  $\vec{u}$  va  $\vec{v}$  vektor bo'yicha yoyilgan, yoyilmaning koeffitsientlarini aniqlang. ( $\vec{p} = x\vec{u} + y\vec{v}$ )

Javob:  $\vec{p}(1; 7)$

7. Koordinatalari bilan berilgan  $\vec{a}(x_1, y_1)$  va  $\vec{b}(x_2, y_2)$  vektorlar kollinear bo'lishi uchun, ularning koordinatalarning proporsional bo'lishi zarur va etarli ekanini isbotlang.

8. Quyidagi juft vektorlarning kollinear juftlarni ajrating.

1)  $\vec{a}(1, 2): \vec{b}(2, 3)$  2)  $\vec{a}(-\sqrt{2}, 3): \vec{b}(2\sqrt{2}, -6)$  3)  $\vec{a}(0, 5): \vec{b}(0, 7)$

Javob: 1. kollinear emas;

2. kollinear;

3. kollinear.

9.  $\vec{a}(1, 5)$ ,  $\vec{b}(3, -1)$  va  $\vec{c}(0, 1)$  vektorlar berilgan.

$\vec{p} = \vec{a} + x\vec{b}$ ,  $x$  ning qanday qiymatida bu vektor  $\vec{q} = \vec{a} - \vec{c}$  vektorga kollinear bo'ladi.

Javob:  $x = \frac{1}{13}$